

## CHARACTER OF DUST PARTICLE MOTION IN DIRECT-FLOW CYCLONE WITH INTERMEDIATE DUST EXTRACTION

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*The problem of dust particle motion in direct-flow cyclone with intermediate extraction under the influence of centrifugal and aerodynamic force of gas flow resistance has been solved. Dust particle motion paths of different diameters at different points of cyclone input as well as calculation formulas of minimal particle diameter captured by intermediate and basic dust extraction are obtained. Theoretical efficiency of intermediate extraction separation and cyclone in general that are compared with experimental values is calculated. Evaluation of fractional efficiency parameters according to НИИОГАЗ technique is performed.*

Swirling two-phase flows found a wide application in technical devices for intensification of mass exchanged and separation processes (dispersed materials drying, air dust-removal, energy separation in Ranque tubes etc.). For design of new ones and effective application of known stirring devices it is necessary to improve methods of calculation of two-phase swirling flows. At present there is no unique idea about proper approach to the calculation of particles motion [1]. The model, based on the concept of «trajectory particles», is considered to be false due to the absence of accounting of Reynolds stress influence on a particle. On the other hand, the advantages of Lagrange approach, being closer to real processes and allowing us to obtain necessary information about particles paths, time of particles being in the device, minimal size of trapped particles are incontestable [2–5].

Let us consider unidimensional motion of a dust particle with a mass at a rate of  $V$  in steady gas flow, moving at a rate of  $W$ , described by differential equation:

$$\frac{dV}{dt} = \frac{F_a}{m} = \frac{6F_a}{\pi\rho_\delta\delta^3}, \quad (1)$$

where  $F_a$  is the force of aerodynamic resistance, influencing the particle on the side of gas flow,  $\delta$ ,  $\rho_\delta$  is the equivalent diameter and dust particle density.

As a rule, Reynolds number, calculated by the diameter of a particle and parameters of gaseous medium ( $\rho_g$ ,  $\mu_g$  are density and dynamic viscosity of a gas) is not too large:  $Re_\delta = \frac{\delta W \rho_g}{\mu_g} \ll 100$ , therefore, Stokes law

may be used for writing down  $F_a$  adjusted for particle nonsphericalness:

$$F_a = 3\pi\mu_g\delta k_\delta(W - V), \quad (2)$$

where  $k_\delta$  is the coefficient of the form, including particle nonsphericalness, equals to  $k_\delta = 1/\Phi^2$ ;  $\Phi = \frac{F_c}{F}$  is the factor of the form, equal to the ratio of sphere surface area, having the same volume that the particle under consideration to the area of  $F$  surface [6]. It should be noted that at numbers  $Re_\delta \geq 100$  formula (2) gives conservative value of the force of aerodynamic resistance, however at the approximate analysis it is not of decisive importance, as vast particles are separated faster than small ones.

After substitution of (2) into (1) the differential equation in the following form is obtained:

$$\frac{dV}{dt} = \frac{18k_\delta\mu_g}{\rho_\delta\delta^2}(W - V). \quad (3)$$

Let us proceed to the dimensionless coordinates, introducing the notations:

$$\bar{V} = \frac{V}{W}; \quad \bar{t} = \frac{t}{T}. \quad (4)$$

Let us understand by specific time interval  $T$  the ratio of specific size  $L_0$  (distance from exit edges of vane twister to dust intermediate bleed holes) to the rate of gas flow:  $T = \frac{L_0}{W}$ . After substitution of (4) into (3) we obtain:

$$\frac{d\bar{V}}{d\bar{t}} = \beta(1 - \bar{V}), \quad (5)$$

where the dimensionless group

$$\beta = \frac{18k_\delta\mu_g L_0}{\rho_\delta\delta^2 W} = 18k_\delta \frac{L_0}{\delta} \frac{\rho_g}{\rho_\delta} \frac{1}{Re_\delta}. \quad (6)$$

After integration we obtain:

$$1 - \bar{V} = (1 - \bar{V}_0)e^{-\beta\bar{t}}, \quad (7)$$

where  $\bar{V}_0$  is the dimensionless initial particle rate.

Let us estimate the dimensionless group  $\beta$  for analyzing (7). The following data are taken as an example: dust – KCl has cubic lattice, therefore it forms the particles of the form close to cubic one [7]. The factor of the form is equal  $F=0,806$  for a cube [6]. Then the form coefficient  $k_\delta=1,54$ .  $W=9$  m/s,  $\delta=10$  mkm= $10^{-5}$  m,  $\mu=1,89 \cdot 10^{-5}$  Pa·s,  $\rho_g=1,25$  kg/m<sup>3</sup>,  $\rho_\delta=2631$  kg/m<sup>3</sup> (according to the readings at autopycnometer 1320),  $L_0=0,276$  m. We obtain  $Re_\delta=0,592$ ,  $\beta=61,070$ . Such high value of  $\beta$  means that dimensionless particle rate converges very rapidly to the unity, i.e. independently on initial conditions the rate of a particle  $V$  becomes close to the flow rate  $W$ . Really, if  $\bar{t}=0,1$  is taken, then

$$1 - \bar{V} = 0,0022(1 - \bar{V}_0) < 0,01.$$

The presented example shows that the peripheral and axial projections of small particles rate in a dust catcher may be taken as equal to the corresponding projections of gas rate. And only range rate of particles, stipulated by centrifugal forces, should be determined. At increasing the diameter of the particles magnitude  $\beta$  decreases in proportion to square of diameter.

The analysis of twisted adiabatic gas-dust flow in the direct-flow cyclone will be carried out under the following assumptions:

1. The overspeed part of a particle in a twister is completed and it obtains the axial  $V_z$  and peripheral  $V_\varphi$  projections of rate, equal to the corresponding projections of gas flow rate  $W_z$  and  $W_\varphi$  respectively. The given assumption results in certain calculating errors of motion of the particles with the diameter more than 5 mkm.
2. The axial projection of gas rate changes according to the law  $W_\varphi = \text{const} \sqrt{r}$ . This law, observed in the experiments [8, 9], allow us to obtain a simple decision, suitable for quantitative analysis of particles motion.
3. Particle does not change its form and diameter with time; it is neither disintegrated nor coagulated. Deviation of particle form of sphere is included by the coefficient  $k_\delta$ .
4. Particle gas flow is of viscous nature. Gas turbulent pulses are ignored, that coordinates with the conclusion of the paper [4]: turbulent diffusion of particles in direct-flow cyclone influence insignificantly the dust catching process.
5. Magnus force, buoyancy force, Coriolis force, gravity force, added mass force are ignored as the stated forces are less, by several digits, in comparison with force of aerodynamic resistance and centrifugal force [9–13].
6. Electrostatic, thermophoretic and other forces of non-hydrodynamic nature are neglected.
7. Nonuniform distribution of axial projection of gas rate round radius is neglected that is in compliance with the data of the paper [14], according to which axial projection of particles rate slightly changes round tube radius.

Such a problem is solved in paper [15] in respect to a cyclone with counter swirling flows.

At taken assumptions the differential equation of particles motion in cylindrical coordinates takes on a form:

$$\frac{dV_r}{dt} = \frac{V_\varphi^2}{r} - \frac{18k_\delta\mu_g V_r}{\rho_\delta \delta^2}$$

or in dimensionless form:

$$\frac{d\bar{V}_r}{dt} = \frac{\bar{V}_\varphi^2}{\bar{r}} - \beta \bar{V}_r, \quad (8)$$

where  $V_z = W_z$ ;  $\bar{V}_z = \frac{V_z}{W_z} = 1$ ;  $\bar{t} = \frac{t}{T}$ ;  $T = \frac{L_0}{W_z}$ ;

$$\bar{V}_r = \frac{V_r}{W_z}; \bar{V}_\varphi = \frac{V_\varphi}{W_z}; \bar{r} = \frac{r}{L_0}; \beta = \frac{18k_\delta\mu_g L_0}{\rho_\delta \delta^2 W_z}. \quad (9)$$

In the concerned case the group  $\beta$  (9) may be considered as constant, as according to the assumptions  $W_z = \text{const}$ . Equation (8) has an analytical solution:

$$\bar{V}_r = e^{-\beta \bar{t}} \left( \bar{V}_{r0} + \int_0^{\bar{t}} e^{-\beta \bar{t}} \frac{\bar{V}_\varphi^2}{\bar{r}} d\bar{t} \right),$$

where  $\bar{V}_{r0}$  is the radial projection of particle rate at the initial point of time  $\bar{t}=0$ .

The accepted law of variation of circular velocity provides the independence of the ratio  $\frac{\bar{V}_\varphi^2}{\bar{r}}$  on time  $\bar{t}$ .

Then integration gives the following dependence:

$$\bar{V}_r = e^{-\beta \bar{t}} \left[ \bar{V}_{r0} + \frac{1}{\beta} \left( \frac{\bar{V}_\varphi^2}{\bar{r}} \right)_{cp} (e^{-\beta \bar{t}} - 1) \right]. \quad (10)$$

Knowing the law of variation, the distance traversed by the particle in radial direction may be solved:

$$r - r_0 = \int_0^{\bar{t}} V_r dt, \quad (11)$$

where  $r_0$  is the initial radius of particle entrance into cyclone separation chamber. Magnitude  $r_0$  may be changed from radius  $r_1$  of central internal insert to radius  $r_2$  of separation chamber.

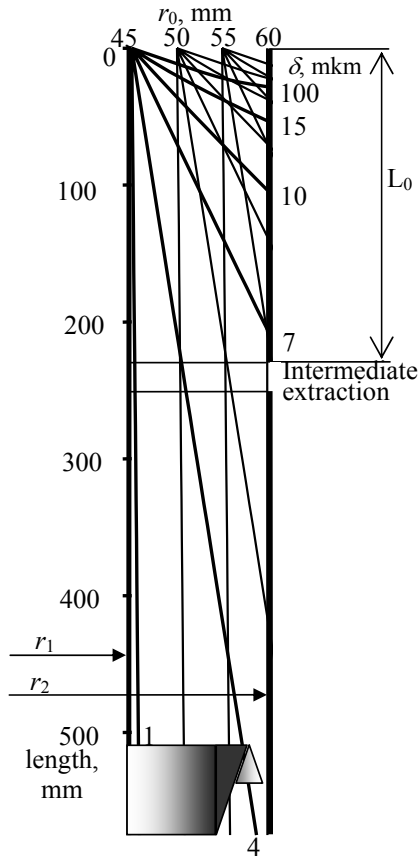
After substitution  $\bar{r}_0 = r_0/L_0$ , formula for transition to the dimensionless variables (9), dependence (10) into (11) and after integration we get:

$$\bar{r} = \bar{r}_0 + \frac{1}{\beta} \left[ -\bar{V}_{r0}(e^{-\beta \bar{t}} - 1) + \left( \frac{\bar{V}_\varphi^2}{\bar{r}} \right)_{cp} A(\beta, \bar{t}) \right], \quad (12)$$

where  $A(\beta, \bar{t}) = \bar{t} + \frac{1}{\beta} (e^{-\beta \bar{t}} - 1)$ .

Let us consider the simplest case, when at the exit from the vane swirler the rate projections of the flow  $W_{r0}$  and particle  $V_{r0}$  are negligibly small and may be ignored, i.e.  $\bar{W}_{r0} = \bar{V}_{r0} = 0$ . In this case the dependence of the following form should be used for calculation of particle path:

$$\bar{r} = \bar{r}_0 + \frac{1}{\beta} \left( \frac{\bar{V}_\varphi^2}{\bar{r}} \right)_{cp} A(\beta, \bar{t}). \quad (13)$$



**Fig. 1.** Path of motion of the particles with diameter  $\delta$  with entrance radius  $r_0$

In fig. 1 the particles paths of different diameter at different entrance radii  $\bar{r}_0$  of particles into separation chamber (with sizes  $r_1=0,045$  m and  $r_2=0,060$  m), calculated for a swirler with flow outlet angle at mean radius  $\bar{r}_{cp} = \frac{r_1 + r_2}{2} = 0,1902$  to the plane, perpendicular to

the axis of the device, equal  $35^\circ$  are represented. It is not difficult to determined from the triangle of velocities:

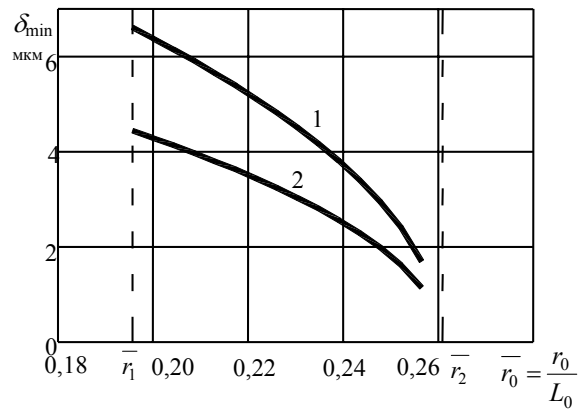
$$\bar{V}_\varphi = \frac{V_\varphi}{V_z} = \text{ctg} 35^\circ = 1,428; \quad \frac{\bar{V}_\varphi^2}{r_{cp}} = 10,721.$$

The values of the rest of the parameters are presented above.

Supposing that the particle slides on the wall of the cyclone, when having reached it, and it is bled through the intermediate bleed holes and annular slot of the second extraction into isolated bins, let us plot the dependences of minimal diameter  $\delta_{\min}$  of the particles, caught by the intermediate bleed holes (curve 1, fig. 2), and cyclone in whole (curve 2, fig. 2) for various radii  $\bar{r}_0$  of particle entrance into cyclone. In theory, all particles, having size more than  $\delta_{\min}$ , should precipitate in the cyclone, and those which size is  $\delta < \delta_{\min}$  should be removed from the cyclone.

The main assumption that particle should reach the wall of a dust catcher, while gas flow being in it, for being collected is also taken as a principle of numerous methods of calculation of particles minimal critical dia-

meter for cyclones of different types [9, 16, 17 et al.]. In this case the distribution of dust-laden flow by the area of input cross-section is not taken into consideration, as the particle is supposed to enter into separation space along the device axis or at its mean radius. The formula for defining  $\delta_{\min}$  obtained in this way are not accurate, as particles with the diameter less than  $\delta_{\min}$  may be caught in dust catchers if they were close to the wall when entering the cyclone. The dependences  $\delta_{\min} = f(\bar{r}_0)$  presented in fig. 2 have no such disadvantage. However, as the dispersed analysis of the dust, set at a cloth filter, showed the overshoot of rather large particles at the exit from the cyclone is observed. Moreover, dust dispersed composition, collected in the intermediate extraction, indicates the presence of particles with the size  $\delta < \delta_{\min}$  in it. Therefore, dependences  $\delta_{\min} = f(\bar{r}_0)$  may serve for approximate estimate of efficiency of cyclone separation.



**Fig. 2.** Minimal diameter of collected dust with: 1) intermediate, 2) main extractions depending on entrance radius  $\bar{r}_0$

The theoretical efficiency of dust catching  $\eta_r$  according to the known paths of motion of dust particles and dependences  $\delta_{\min} = f(\bar{r}_0)$  may be calculated in the following way. Let us suppose dust uniform distribution by the cyclone input cross-section. According to the dispersion composition of dust coming to the cyclone entrance, we plot the integral function  $D(\delta)$  of particles distribution by mass on double logarithmic scale. Function  $D(\delta)$  may be presented in the form of Rosin-Ramler-Bennett formula [18]:

$$D(\delta) = 1 - e^{-(\delta/\delta_e)^a}, \quad (14)$$

where  $\delta_e$  presents, by its physical meaning, such diameter, at which mass of particles larger than  $\delta_e$  is 36,8 %, and of those which are less is 63,2 %. For the dust under consideration  $\delta_e = 23$  mkm. Finding the logarithm of the formula (14) twice, we get:

$$\lg \left( \lg \frac{1}{1 - D(\delta)} \right) = \lg \lg e + a(\lg \delta - \lg \delta_e).$$

$$\text{Then } a = \frac{\lg \lg \left( \frac{1}{1 - D(\delta)} \right) - \lg(\lg e)}{\lg \delta - \lg \delta_e} = 2,6224.$$

$$\text{Therefore: } D(\delta) = 1 - e^{-(\delta/23)^{2,62}}.$$

The calculated dependences  $\delta_{\min}^1(\bar{r}_0)$  and  $\delta_{\min}^2(\bar{r}_0)$  in the package Statgraphics Plus are approximated by cubic polynomial:

$$\delta_{\min}^1(\bar{r}_0) = 140 - 2178\bar{r}_0 + 12135\bar{r}_0^2 - 23250\bar{r}_0^3, \quad (15)$$

$$\delta_{\min}^2(\bar{r}_0) = 109 - 1702\bar{r}_0 + 9388\bar{r}_0^2 - 17741\bar{r}_0^3. \quad (16)$$

**Table 1.** Statistical significance of regressions. Corrected rate of determination is 99,96 %

Equation	Durbin-Watson criterion	Standard error, mm	Average absolute error, mm
(15)	1,173	0,0307	0,0223
(16)	1,219	0,0193	0,0143

Catching efficiency by the intermediate extraction  $\eta_T^1$  and cyclone in whole  $\eta_T^2$  are determined according to the formulas:

$$\eta_T^1 = \frac{100p}{\pi(r_2^2 - r_1^2)} \int_{r_1}^{\bar{r}_2} 2\pi\bar{r}_0[1 - D(\delta_{\min}^1(\bar{r}_0))] d\bar{r}_0 =$$

$$\frac{200p}{(r_2^2 - r_1^2)} \int_{r_1}^{\bar{r}_2} \bar{r}_0 e^{-(\delta_{\min}^1(\bar{r}_0)/23)^{2,62}} d\bar{r}_0, \quad \%$$

$$\eta_T^2 = \frac{200}{(r_2^2 - r_1^2)} \int_{r_1}^{\bar{r}_2} \bar{r}_0 e^{-(\delta_{\min}^2(\bar{r}_0)/23)^{2,62}} d\bar{r}_0, \quad \%$$

where  $\delta_{\min}^1(\bar{r}_0)$  and  $\delta_{\min}^2(\bar{r}_0)$  are calculated by the formulas (15) and (16) correspondingly,  $p=0,66$  is the expectancy of dust hitting into intermediate extraction, equal to the ratio of holes sum area to the area of lateral surface of a cylinder with the height equal to holes height.

For numerical integration Newton – Cotes sextic quadrature formula, Waddle rule were used [19]. The following values of efficiency of separation were obtained:  $\eta_T^1=65,35 \%$  and  $\eta_T^2=99,01 \%$ , which were overrated in comparison with the experimental ones.

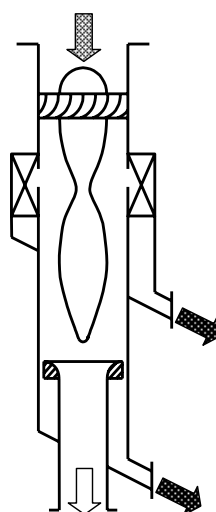
The accepted flow model is not accurate enough, i. e. it does not allow searching for the separation efficiency of the cyclone as a whole not including such factors as secondary turbulent separated dust loss, ricochet and Magnus effect. The acceptable coincidence  $\eta_T^1$  with the experimental data ( $\eta_T^1=60...62 \%$ ) is explained, first of all, by the introduction of dust particles expectancy of hitting into intermediate bleed holes. At dust suction from the second bin together with a part of gas in amount of 5 % from the consumption of  $\eta_s^2$  increases from 97,0 to 99,4 %, that differs from  $\eta_T^2$  insignificantly. The observed rise of the efficiency of cyclone separation at the suction of a part of gas is explained by intensity decrease of carrying flow turbulence.

The experiment with the cyclone, scheme of which is presented in fig. 3 was carried out. Muriate salt with density  $\rho_s=2631 \text{ kg/m}^3$  (apparent  $1950 \text{ kg/m}^3$ ) and form coefficient  $k_s=1,54$  is used as the dust. The parameters of gas flow: velocity  $W=9 \text{ m/s}$ , viscosity  $m=1,89 \cdot 10^{-5} \text{ Pa}\cdot\text{s}$ , density  $\rho_g=1,25 \text{ kg/m}^3$ ,  $D=0,12 \text{ m}$ . As in NIOGAS technique the data on fractional efficiency of direct-flow cyclones are absent, then let us estimate them for inves-

tigated cyclone according to the method of V.P. Samsonov [18], table 2.

**Table 2.** Estimation of the parameters of fractional efficiency

Index	Experimental values		Calculated values	
Nº of the experiment	1	2	1	2
$\delta$ , mkm	20,0	11,0		
$\sigma$	1,38	1,50		
$\delta_e$ , mkm		23,0	14	
$a$			2,62	1.52
$\eta$ , %	89	79	99,01	87.55
$x$	1,227	0,807	2.34	1.152
$d_{50m}$	3,02		2,34	
$\lg \sigma_{m\eta}$	0,308		0,02	



**Fig. 3.** Scheme of a direct-flow cyclone with the intermediate dust extraction [21]

At Novomaltinsk factory of constructional materials (Usolsk region of Irkutsk area) in mineral wool industry top smokes, wasted from the cupola furnaces, were purified in a bag hose, installed on the esplanade. Filter had low purification efficiency and service reliability owing to the hoses freezing and breaks at their regeneration in a cold period of the year. The direct-flow cyclone 0,258 mm with intermediate dust extraction was suggested to be used instead of the filter (fig. 3). Gas temperature at the entrance to the cyclone was  $90...97^\circ\text{C}$ , and at the exit it was  $70^\circ\text{C}$ . Median diameter (by mass) of initial dust of cupola gases at the entrance to the cyclone was 85 mkm, median diameter (by mass) of lost dust was 2 mkm. The diameter of the particles, caught with the efficiency of 50 % equaled to  $d_{50}=14 \text{ mkm}$ . The apparent density of dust was  $1008 \text{ kg/m}^3$ . Optimal average consumed rate, providing the highest efficiency of dust catching  $\eta=86...87 \%$ , was  $W=5...6 \text{ m/s}$ . Gas suction from the bin in the amount of 4...5 % of overall consumption allowed increasing the efficiency of purification on 8...9 % [22].

According to the obtained parameters of fractional efficiency (table 2) the efficiency of tested direct-flow cyclone at purification of cupola gases according to the NIOGAS technique is estimated (table 3).

**Table 3.** Calculation according to НИИОГАЗ technique [20]

Parameters	According to the experimental data	According to the model
$D=D/D_m$	0,258/0,12=2,15	
$\bar{\rho}=\rho_{\text{gas}}/\rho_s$	1950/1008=1,935	
$\bar{\mu}=\mu/\mu_n$	$1,794 \cdot 10^{-5}/1,89 \cdot 10^{-5}=0,949$	
$W=W_m/W$	9/5=1,8	
$d_{50}=d_{50m} \sqrt{\bar{D} \cdot \bar{\rho} \cdot \bar{\mu} \cdot \bar{W}}$	$3,02 \sqrt{2,15 \cdot 1,935 \cdot 0,949 \cdot 1,8}=8,0507$	$2,34 \sqrt{2,15 \cdot 1,935 \cdot 0,949 \cdot 1,8}=6,2380$
$x=\lg(d_{50}/d_{50m}) \sqrt{\lg \sigma_{m\eta}^2 + \sigma_{\eta}^2}$	$\lg(85/8,05) \sqrt{0,308^2 + 2,17^2}=2,2435$	$\lg(85/6,23) \sqrt{0,02^2 + 2,17^2}=2,463$
$\Phi_p(x)$ , %	98,73	99,31
$\Phi_{\text{эсн}}(x)$ , %	87	
Error, %	$(98,73-87)/0,87=13,48$	$(99,31-87)/0,87=13,9$

The analysis of the results obtained by the НИИОГАЗ technique shows that proximity of estimates of efficiency according to the experimental and model data indicates the adequacy of model approximation. On the other hand, both estimates have acceptable but rather high error (more than 13 %, at the suction of a part of gas from the bins area the error decreases to 5,0...5,5 %). This shows the urgency of the following tasks of investigation:

- to decrease the volume of analyzed data for providing statistical significance of the estimates of fractional efficiency of direct-flow cyclones;
- to analyze theoretical sufficiency of НИИОГАЗ technique in respect to direct-flow dust catchers and to develop the new one, more adequate calculation technique of direct-flow cyclones efficiency.

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